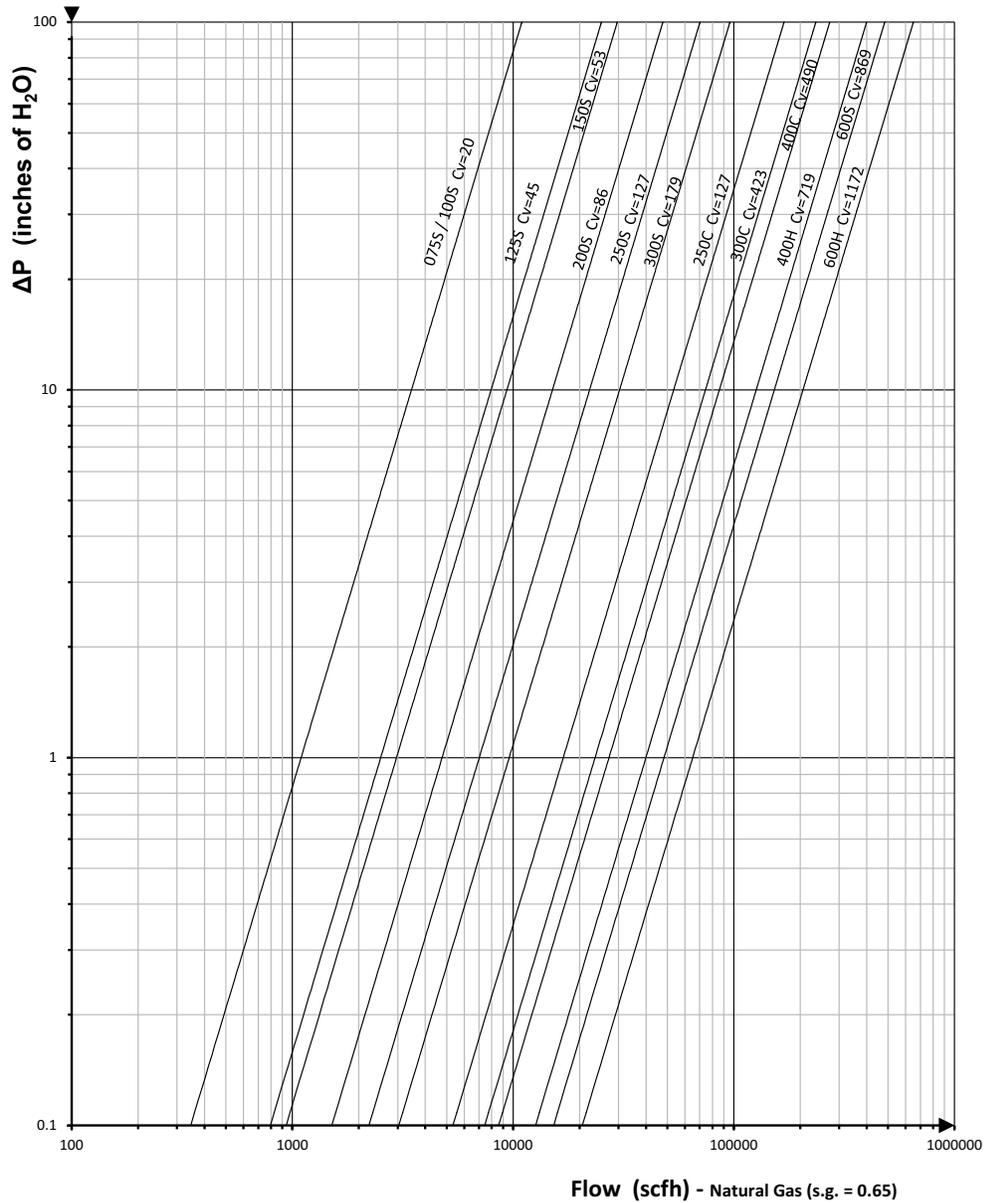


## Valve sizing charts

Approximate pressure drops for various valve sizes and flows may be determined by using this graph.



$$Q_2 = Q_1 \times \sqrt{\frac{\Delta P_2}{\Delta P_1} \times \frac{P_2}{P_1} \times \frac{(T_1 + 459.67)}{(T_2 + 459.67)} \times \frac{S.G._1}{S.G._2}}$$

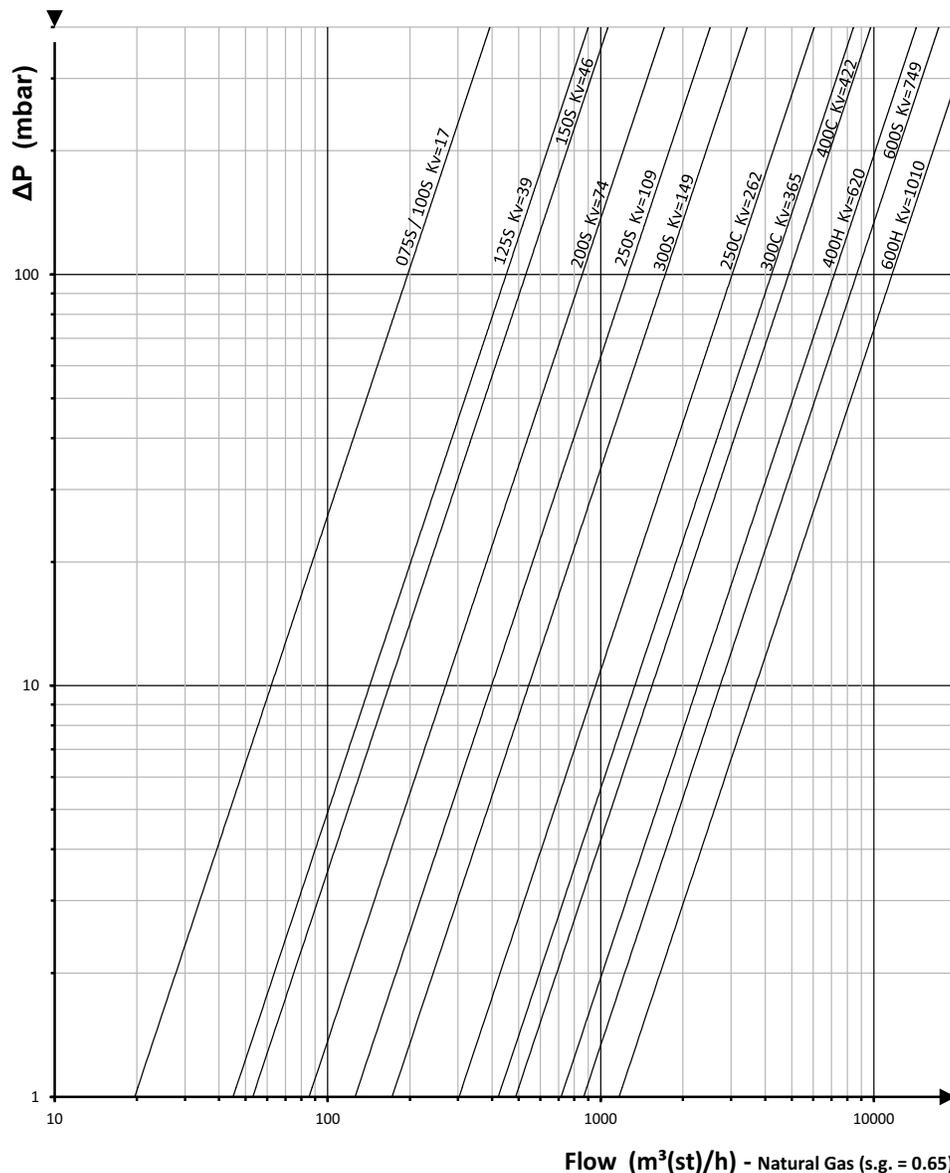
Key:

Q<sub>1</sub> = Given Flow from Chart (scfh)  
 ΔP<sub>1</sub> = Pressure Drop from Chart ("wc)  
 P<sub>1</sub> = 14.7 psia  
 T<sub>1</sub> = 70°F  
 S.G.<sub>1</sub> = 0.65 (Natural Gas)

Q<sub>2</sub> = Flow (scfh)  
 ΔP<sub>2</sub> = Pressure Drop ("wc)  
 P<sub>2</sub> = Outlet Pressure (psia)  
 T<sub>2</sub> = Outlet Flowing Temperature (°F)  
 S.G.<sub>2</sub> = Specific gravity of gas when related to air at 70°F and 14.7 psia (Air = 1.0)

## Valve sizing charts

Approximate pressure drops for various valve sizes and flows may be determined by using this graph.



$$Q_2 = Q_1 \times \sqrt{\frac{\Delta P_2}{\Delta P_1} \times \frac{P_2}{P_1} \times \frac{(T_1 + 273)}{(T_2 + 273)} \times \frac{S.G._1}{S.G._2}}$$

Key:

$Q_1$  = Given Flow from Chart (m<sup>3</sup>(st)/h)

$\Delta P_1$  = Pressure Drop from Chart (mbar)

$P_1$  = 1 bar absolute

$T_1$  = 21.1°C

S.G.<sub>1</sub> = 0.65 (Natural Gas)

$Q_2$  = Flow (m<sup>3</sup>(st)/h)

$\Delta P_2$  = Pressure Drop (mbar)

$P_2$  = Outlet Pressure (bar absolute)

$T_2$  = Outlet Flowing Temperature (°C)

S.G.<sub>2</sub> = Specific gravity of gas when related to air at 70°F and 14.7 psia (Air = 1.0)